## Lesson 11: What are Perfect Squares?

* Let’s see how perfect squares make some equations easier to solve.

### 11.1: The Thing We Are Squaring

In each equation, what expression could be substituted for so the equation is true for all values of ?

### 11.2: Perfect Squares in Different Forms

1. Each expression is written as the product of factors. Write an equivalent expression in standard form.
2. Why do you think the following expressions can be described as **perfect squares**?

#### Are you ready for more?

Write each expression in factored form.

### 11.3: Two Methods

Han and Jada solved the same equation with different methods. Here they are:

Han’s method:

Jada’s method:

Work with a partner to solve these equations. For each equation, one partner solves with Han’s method, and the other partner solves with Jada’s method. Make sure both partners get the same solutions to the same equation. If not, work together to find your mistakes.

### Lesson 11 Summary

These are some examples of **perfect squares**:

* 49, because 49 is or .
* , because it is equivalent to or .
* , because it is equivalent to .
* , because it is equivalent to or .

A *perfect square* is an expression that is something times itself. Usually we are interested in situations in which the something is a *rational* number or an expression with rational coefficients.

When expressions that are perfect squares are written in factored form and standard form, there is a predictable pattern.

* is equivalent to .
* is equivalent to .
* is equivalent to .

In general, is equivalent to .

Quadratic equations that are in the form can be solved in a straightforward manner. Here is an example:

The equation now says: squaring gives 25 as a result. This means must be 5 or -5.



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